Which of the following is NOT correct for a  $2^k$  full factorial design matrix **X**?

- **A X** only contains the numbers -1 and 1.
- **B** The sum of each column equals 1.
- c The columns of  $\boldsymbol{X}$  are orthogonal.
- **D**  $\boldsymbol{X}^T \boldsymbol{X}$  is a diagonal matrix.

 $\mathbf{Y} = \mathbf{X}\boldsymbol{\beta} + \boldsymbol{\varepsilon}$ , with  $\boldsymbol{\varepsilon} \sim N_n(0, \sigma^2 \boldsymbol{I})$  $\widehat{Effect}_i = 2 \cdot \frac{1}{n} \sum_{i=1}^n x_{ii} Y_i$ .  $Var(Effect_i)$  equals

A  $\sigma^2$ B  $\frac{1}{n}\sigma^2$ C  $\frac{2}{n}\sigma^2$ D  $\frac{4}{n}\sigma^2$ 



This plot is called

- A Main effects plot
- B Interaction effects plot
- c Pareto plot
- **D** Normal plot





Set up a full factorial design in the three variables A, B, C, and use generators: D=AB, E=AC, F=BC, G=ABC. What do you get?

**A**  $2^{7-4}_{III}$ **c**  $2^{7-4}_{IV}$ 

**B**  $2_{IV}^{7-3}$ **D**  $2_{III}^{7-3}$  For a design is of resolution III:

- A Main effects are confounded with each other.
- B Main effects are confounded with 2-way interactions.
- c Main effects are confounded with 3-way interactions.
- Main effects are confounded with 4-way interactions.

## Correct?

## Are you sure you want to read the correct answers? Maybe try first?

Answers

## Correct: BDCDAAB